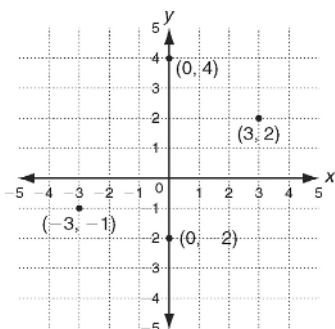


LESSON **13-2** **Reading Strategies**

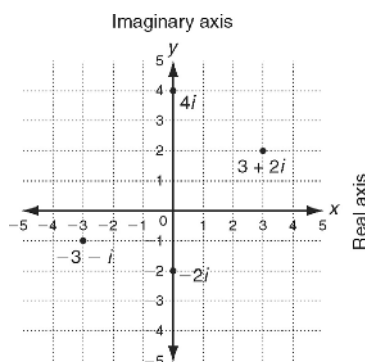
Use a Model

Complex numbers can be graphed on a **complex plane**. Use the coordinate plane as a model. In a complex plane, the horizontal axis represents real numbers, and the vertical axis represents imaginary numbers.

The ordered pairs $(0, -2)$, $(-3, -1)$, $(0, 4)$, and $(3, 2)$ can be graphed on the coordinate grid.



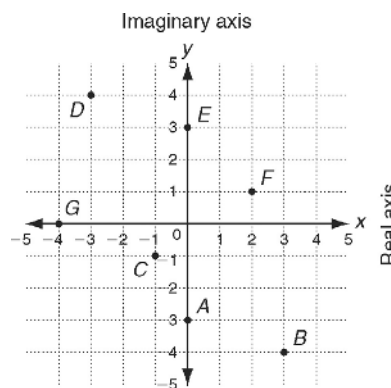
The complex numbers $-2i$, $-3 - i$, $4i$, and $3 + 2i$ can be graphed on the complex plane.



Answer each question.

1. Identify the location of each point on the complex plane below.

- a. A _____
- b. B _____
- c. C _____
- d. D _____
- e. E _____
- f. F _____
- g. G _____



2. Describe the location of the complex number $5 + \sqrt{-4}$ in the complex plane.

3. How far from the origin is $-1 + i$? Explain how you know.

4. Explain why the complex numbers $2 + 3i$ and $2 - 3i$ are the same distance from the origin.

- The answers are the same. Yes; this will always be true in the system of real numbers. The order of operations can be reversed in this case; yes
- $\sqrt{3}i \cdot \sqrt{12}i = \sqrt{3} \cdot \sqrt{12} \cdot i^2 = \sqrt{36}i^2 = 6 \cdot -1 = -6; \sqrt{36} = 6$
- The answers are different. The order of operations cannot be changed in this case.
- Possible answer: When multiplying radicals that have negative radicands, first simplify the radical using the imaginary number i , and then find the product.
- -32
- 12
- -5
- $-30i$
- $6i$
- $4i\sqrt{2}$
- $5 + \sqrt{-4} = 5 + 2i = 5 + 2i$; located 5 units to the right and two units up
- $\sqrt{2}$; the point $(-1 + i)$ is one vertex of a right triangle with vertices at the origin and $(-1 + 0i)$. Each leg of the triangle equals 1. Using the Pythagorean Theorem, $1^2 + 1^2 = c^2$, $c^2 = 2$, $c = \sqrt{2}$.
- The real value is the same for both, and $3i$ and $-3i$ are the same distance from the real number axis. So the distances to the origin are corresponding sides on congruent triangles.

Answers for Unit 5

14-1 FACTORING $x^2 + bx + c$

Practice A

- 3; 2
- 4; 1
- 5; 4
- $(x + 7)(x + 3)$
- $(x + 6)(x + 5)$
- $(x + 8)(x + 2)$
- 6; 2
- 5; 3
- 16; 1
- $(x - 9)(x - 3)$
- $(x - 4)(x - 11)$
- $(x - 8)(x - 5)$
- 10; 4
- 3; 1
- 8; 4
- 12; 2
- 14; 2
- 5; 2
- $(x + 3)(x - 5)$
- $(x + 2)(x - 10)$
- $(x + 6)(x - 8)$
- $(x + 3)(x - 4)$
- $(x + 1)(x - 3)$
- $(x + 1)(x - 2)$
- 1; 5

n	$n^2 + 6n + 5$
0	$0^2 + 6(0) + 5 = 5$
1	$1^2 + 6(1) + 5 = 12$
2	$2^2 + 6(2) + 5 = 21$
3	$3^2 + 6(3) + 5 = 32$
4	$4^2 + 6(4) + 5 = 45$

Problem Solving

1.

n	$Z_{n+1} = (Z_n)^2 + c$	Z_n
1	$Z_1 = 1 + 2i$	$Z_1 = 1 + 2i$
2	$Z_2 = (1 + 2i)^2 + 1$	$Z_2 = -2 + 4i$
3	$Z_3 = (-2 + 4i)^2 + 1$	$Z_3 = -11 - 16i$
4	$Z_4 = (-11 - 16i)^2 + 1$	$Z_4 = -134 + 352i$

- $(-13, -35i)$; possible answer: this point cannot be generated using the given formula.
- D
- B
- A
- C

Reading Strategies

- $-3i$
 - $3 - 4i$
 - $-1 - i$
 - $-3 - 4i$
 - $3i$
 - $2 + i$
 - -4